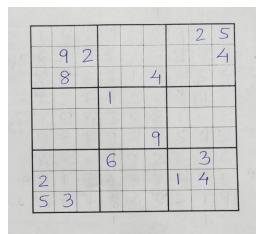
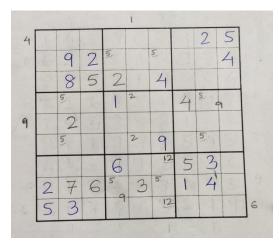
A walk through for the 9x9 Anti Knight Sudoku in SM5 2020 (Converse and Odd Even)

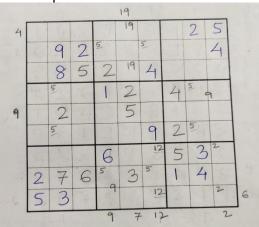
Ramesh Swarnakar



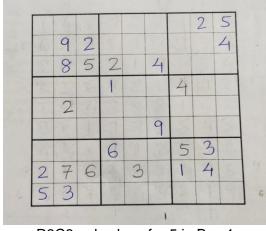
Initial position



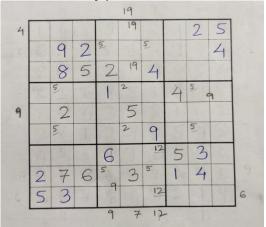
- Some pencilmarkings
- 12 pair in box 8



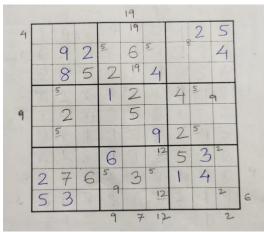
- Because of the 12 pair in box 8, 2 cannot come in R9C7.
- So 2 should be in R5C7 or R6C7.
- This eliminates 2 from R6C5.
- So 2 can be filled in Box 5 and Box 6.



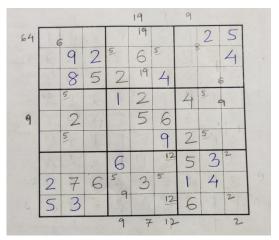
- R3C3 only place for 5 in Box 1
- R3C4 only place for 2 in Row 3
- R4C7 only place for 4 in Column 7
- R7C7 only place for 5 in Box 9
- R8C5 only place for 3 in Row 8
- 7 only possibility in R8C2
- R8C3 only place for 6 in Box 7



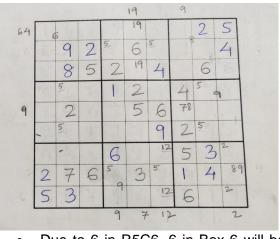
5 in R5C5 – only place in box 5



- We already have a 19 pair in C5 in Box 2.
- Now 7 must come in C5 in Box 8.
- Also 8 will come in R1C7, R2C7 or R2C8 in Box 3. In all three cases 8 cannot come in R2C5.
- So R2C5 is 6 only number which can come there.

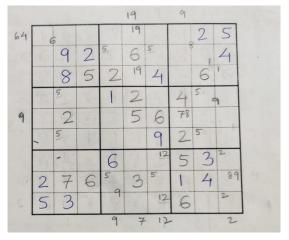


• Only place for 6 in Box 5 – R5C6

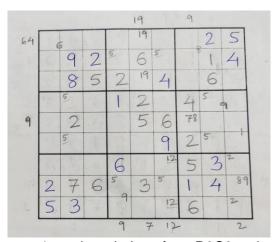


• Due to 6 in R5C6, 6 in Box 6 will be in C9. This eliminates 6 from R3C9.

• Only place for 6 in Box 3: R3C8

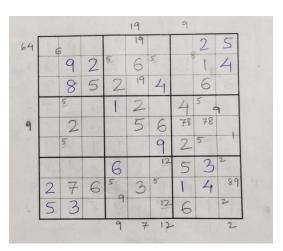


• Some more pencilmarkings

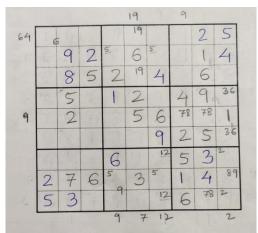


• 1 can be ruled out from R3C9 as it leads to contradictions in Box 6 for 1.

So 1 goes into R2C8.



• 78 pair in Box 6



• We get 1 in Box 6 C9 and a 36 pair.

5 and 9 can be filled in Box 6.

• 5 in Box 4 can also be filled.

					19		9	75		
64		6			19			2	5	
- 6	6	9	2	5	6	5		1 ,	4	
		8	5	2	19	4		6		
	976	5	The	1	2		4	9	36	
9		2	4		5	6	78	78	1	
		14			1	9	2	5	36	
	A	14		6	9	12	5	3	2	
-	2	7	6	5	3	5	1	4	89	4
6	5	3	74	9		12	6	78	2	-
				9	7	12	-	E	2	

- In C2 only one place for 6.
- And we get a 14 pair.

					19	9	9			
64		6		- 17	19			2	5	
- 6	6	9	2	5	0	5		1	4	
		8	5	2	19	4		6		
	1/2	5	35	1	2		4	9	36	
9		2	17	4	5	6	78	78	1	
	N.	7				9	2	5	36	
	14	4		6	9	12	5	3	2	
	2	7	6	5	3	5	1	4	89	4
	5	3	7	9	1	12	6	78	2	
				9	7	- 17	-		2	

- 4 goes into R5C4
- 2 in R2C7 will get eliminated due to 2 in R6C7. So 2 will come in R9C9.

19 4

- Wherever 4 comes in box5, it cannot come in R6C2.
- This resolves the 14 pair.

After this it is easy enough to be solved by usual classic and anti-knight rules.